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Information Leakage Analysis in Open Multi-agent Systems: A Case Study in Cloud Computing

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- Introduction
- Language-based Security
- A Security Type System for LCC
- Information Leakage in Clouds
- Conclusion



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Introduction

- Open Multi-agent Systems (MAS): open systems in which autonomous agents can join and leave freely.
- In this talk:

Open (peer to peer) MAS that agents can invent protocols for different applications and share them.

Open MAS have growing popularity (Poslad o7).

Introduction

- Security is a major practical limitation to open MAS.
- Security means: confidentiality, integrity and availability.
- Our Assumption: there exists confidential information in open MAS.

Introduction

- My thesis :
 - Study and categorise various attacks on open MAS
 - Review and classify different security solutions
 - Focus on information leakage in LCC-based systems
 - Propose an information flow security analysis based on a language-based approach
 - Case study of cloud configuration management



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Language-based Security

- a convenient complement to traditional security mechanisms
- Why?
 - Access control prevents information release...
 - Encryption could guarantee the origin, confidentiality and integrity of information, but not its behaviour.
 - A fundamental limitation: can not prevent information from being propagated

Language-based Security

- Sound type systems are a promising language-based technique to specify and enforce an information flow policy. (Sabelfeld & Myers, 2003)
- In type checking approach:
 - Every program term has a security type
 - Security is enforced by type checking



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Lightweight Coordination Calculus (LCC)

- LCC is a declarative language to execute agents' organisational models in a peer to peer style.
- a choreography language based on pi-calculus and logic programming.

LCC Syntax

```
Interaction Model := {Clause,...}
Clause := Role::Def
Role := a(Type, Id)
Def := Role | Message | Def then Def | Def or Def | null ← Constraint
Message:= M Ø Role | M Ø Role ← Constraint | M Ö Role |
          Constraint ← M Ö Role
Constraint:= Constant | Term | Constraint Ô Constraint
              Constraint Ó Constraint
Type := Term
Id := Constant | Variable
M := Term
Term := Constant | Variable | a structured term in Prolog syntax
Constant := lower case character sequence or number
Variable := upper case character sequence or number
```

A LCC Example

Role	a(requester, A) ::
Message out	ask(X)⇒a(informer,B)← Clause
Constraint	query_from(X, B) then
Message in	tell(X) ⇐ a(informer, B) then
Recursion	a(requester, A)
	a(informer, B) :: ask(X) ← a(requester, A) then tell(X) ⇒ a(requester, A) ← know(X)

LCC language syntax:

- Outgoing message: \varnothing
- Incoming message: Ö
- Conditional:
- Sequence: then
- Committed choice: or

Security Type System for LCC

- The rules are judgments of the form: $\Gamma \vdash T : \phi$
- Γ : a type environment that maps a LCC term T to the type φ and its secrecy level.
- Security types: $\varphi = id \tau | \tau | op \tau | con \tau_1 / \tau_2$
- Variables have only type id ‡.
- Other terms have only type ‡.
- **Def** commands have only type op τ .

Def := Role | Message | Def then Def | Def or Def | null <- Constraint

• Constraint expressions have only types con τ_1/τ_2 .

Constraint:= Constant / Term / Constraint Ó Constraint / Constraint Ô Constraint

Security Levels

Security levels:

For simplicity it could be assumed that there are two levels of secrecy L (low) and H (high).

- Security levels are directly assigned to LCC terms by annotations in the code.
- the terms which are not annotated may be assigned to the highest security level.

Security Typing Rules for LCC

$\frac{T:\tau \in \Gamma}{\Gamma \vdash T:\tau} Id$	$\frac{\Gamma \vdash S: \tau_0, \ \Gamma \vdash t_1: \tau_1, \dots, \Gamma \vdash t_n: \tau_n}{\Gamma \vdash S(t_1, \dots, t_n): \tau_0 \lor \tau_1 \lor \dots \lor \tau_n} Struct$
$\frac{\Gamma \vdash R: \tau, \ \Gamma \vdash ID: id \ \tau}{\Gamma \vdash a(R, ID): agent \ \tau} Agnt \qquad \frac{\Gamma}{\Gamma}$	$\frac{\Gamma \vdash a(R, ID): agent \tau, \Gamma \vdash E \text{ op } \tau}{\Gamma \vdash a(R, ID) :: E : op \tau} Role$
$\frac{a(R, ID) :: Def, \ \Gamma \vdash a(R, ID) \ agent \ \tau}{\Gamma \vdash my_L : agent \ \tau} Set$	$lf \qquad \frac{\Gamma \vdash C: con \tau' / \tau''}{\Gamma \vdash \neg C: op \tau' / \tau''} Not$
$\frac{\Gamma \vdash A : agent \tau, \ \Gamma \vdash M : \tau}{\Gamma \vdash M \Rightarrow A : op \tau} Snd$	$\frac{\Gamma \vdash my_L: agent \tau, \ \Gamma \vdash M: \tau}{\Gamma \vdash M \Leftarrow A: op \ \tau} Rsv$
$\frac{\Gamma \vdash F : \tau, \ \Gamma \vdash t_1 : \tau, \dots, \Gamma \vdash t_k : id \ \tau, \dots, \Gamma \vdash}{\Gamma \vdash F(t_1, \dots, t_k, \dots, t_n) : op \ \tau}$	$\frac{t_n:\tau}{Call}$
$\frac{\Gamma \vdash C_1: \operatorname{con} \tau'_1 / \tau''_1, \Gamma \vdash C_2: \operatorname{con} \tau'_2 / \tau''_2}{\Gamma \vdash C_1 \land C_2: \operatorname{con} \tau'_1 \land \tau'_2 / \tau''_1 \lor \tau''_2} Ar$	$nd \frac{\Gamma \vdash C_1: \operatorname{con} \tau'_1 / \tau''_1, \Gamma \vdash C_2: \operatorname{con} \tau'_2 / \tau''_2}{\Gamma \vdash C_1 \lor C_2: \operatorname{con} \tau'_1 \land \tau'_2 / \tau''_1 \lor \tau''_2} Or$
$\frac{\Gamma \vdash C: con \tau / \tau', \ \Gamma \vdash M \Leftarrow A: op \tau}{\Gamma \vdash C \leftarrow M \Leftarrow A: op \tau} If 1$	$\frac{\Gamma \vdash C: con \tau' / \tau, \ \Gamma \vdash M \Rightarrow A: op \tau}{\Gamma \vdash M \Rightarrow A \leftarrow C: op \tau} If 2$
$\frac{\Gamma \vdash null:\tau, \ \Gamma \vdash C:op \ \tau'/\tau}{\Gamma \vdash null \leftarrow C:op \ \tau} If3$	$\frac{\Gamma \vdash a(R,I): agent \tau , \Gamma \vdash C: con \tau'/\tau}{\Gamma \vdash a(R,I) \leftarrow C: op \tau} If4$
$\frac{\Gamma \vdash A_1: op \tau, \Gamma \vdash A_2: op \tau}{\Gamma \vdash A_1 then A_2: op \tau} Seq$	$\frac{\Gamma \vdash A_1: op \tau, \ \Gamma \vdash A_2: op \tau}{\Gamma \vdash A_1 \text{ or } A_2: op \tau} Choice$

LCC Subtyping Rules

$$\begin{split} \varphi \leq \varphi \quad Reflex & \frac{\varphi_1 \leq \varphi_2 \,, \varphi_2 \leq \varphi_3}{\varphi_1 \leq \varphi_3} \ Trans \\ & \frac{\Gamma \vdash T \colon \varphi, \ \varphi \leq \varphi'}{\Gamma \vdash T \colon \varphi'} Subsum \end{split}$$

≤ means information flow is permitted from left to right

Information Flows in LCC

Source of illegal information flows in LCC:

- Explicit flows (operations are independent of the value of their terms)
 - I. Message passing
 - II. Role assignment
 - III. Constraints
- Implicit Flows disclose some information through the program control flow.

Explicit Information Flows

- Permissible information flows in sending a message based on the security levels of the sender, the receiver and the message
- Message => a(receiver, R)

Sender	Receiver	Message	Permissible Flow
L	L	L	Yes
L	L	Н	No
L	Н	L	Yes
L	Н	Н	No
Н	L	L	Yes
Н	L	Н	No
Н	Н	L	Yes
Н	Н	Н	Yes

Explicit Information Flows

- Permissible information flows regarding the security levels of the role and the agent identifier
- a(role, agentID)::

Agent Identifier	Role	Permissible Flow
L	L	Yes
L	Н	No
Н	L	Yes
Н	Н	Yes



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Implementation

The type system has been implemented in PrologA GUI prototype in C#.NET.

Input LCC Security Analysis	Information Flow Analysis of LCC	
Static Type Check Static Security Dynamic Check Save Result	The LCC code: Browse Syntax Check % Definition of the "idle" role. % "idle" = "balanced" state a(idle, PeerID) :: % constraint to check the peer state null <- getPeerState(Status) then	Annotation Manual Annotation Random Annotation Automatic Annotation Label Assignment LCC Terms Security Level New Term PeerID Low (public)

Case Study: Cloud Configuration

- Existing commercial tools for VMs management are usually based on a centralised control.
- Centralised solution may not be interesting for large scale and complex clouds.
- We proposed a less centralised multi-agent VM management framework:
 - P. Anderson, S. Bijani, A. Vichos, Multi-agent Negotiation of Virtual Machine Migration Using LCC, 6th KES Int. Conf., KES-AMSTA 2012.
 - P. Anderson, S. Bijani, H. Herry, Multi-Agent Virtual Machine Management Using the Lightweight Coordination Calculus, IJICIC Journal (selected to be published).

A Simple VM Management Policy (Interaction Diagram)

Migration policy: unbalanced peers interact to balance their loads.



A Simple VM Management Policy (LCC code)

```
% Here, "idle" means the "balanced" state
```

```
a(idle, PeerID) ::
```

% the constraint to check the state of the peer

```
null <- getPeerState(Status) then (</pre>
```

% if the peer is overloaded, change role to overloaded

a(overloaded(Status), PeerID) <- isOverLoaded() then

) or

(% if the peer is underloaded, change to underloaded a(underloaded(Status), PeerID)<- isUnderLoaded() then) or

a(idle, PeerID) %otherwise, remain as idle (recursion)

```
% "Need" = amount of resources required
a(overloaded(Need), PID1) ::
readyToMigrate(Need) => a(underloaded, PID2) then
migration(ok)<= a(underloaded, PID2) then
% live migration: send VMs to the underloaded peer
null <- migration(PID1, PID2) then
a(idle, PID1) % change the peer's role to "idle"
```

```
% "Capacity" is the amount of free resources}
a(underloaded(Capacity), PID2) ::
% receive a request from an overloaded peer
readyToMigrate(Need)<= a(overloaded,PID1) then
% if free "Capacity" of the underloaded peer >
% "Need" of the overloaded peer
( migration(ok) => a(overloaded, PID1) <-
isMigrationPossible(Capacity, Need)
then null <- waitForMigration() )</pre>
```

or

(migration(notOk) => a(overloaded, PID1)) then

a(idle, PID1) % change the peer's role to "idle"

% Here, "idle" means the "balanced" state

```
a(idle, PeerID) ::
```

 $\ensuremath{\$}$ the constraint to check the state of the peer

null <- getPeerState(Status) then (</pre>

% if the peer is overloaded, change role to overloaded

a(overloaded(Status), PeerID) <- isOverLoaded() then

) or

(% if the peer is underloaded, change to underloaded a(underloaded(Status), PeerID)<- isUnderLoaded() then) or

a(idle, PeerID) %otherwise, remain as idle (recursion)

% "Need" = amount of resources required a(overloaded(Need), PID1) :: readyToMigrate(Need) => a(underloaded, PID2) then migration(ok)<= a(underloaded, PID2) then % live migration: send VMs to the underloaded peer null <- migration(PID1, PID2) then a(idle, PID1) % change the peer's role to "idle"

```
% "Capacity" is the amount of free resources}
a(underloaded(Capacity), PID2) ::
% receive a request from an overloaded peer
readyToMigrate(Need)<= a(overloaded,PID1) then
% if free "Capacity" of the underloaded peer >
% "Need" of the overloaded peer
( migration(ok) => a(overloaded, PID1) <-
isMigrationPossible(Capacity, Need)
```

then null <- waitForMigration())</pre>

or

(migration(notOk) => a(overloaded, PID1)) then

a(idle, PID1) % change the peer's role to "idle"

Consider the following annotations:

label(readyToMigrate, l).
label(Need, h).
label(underloaded, l).
label(PID2, l).

Explicit Flow from PID1 to PID2: Forbidden

% Here, "idle" means the "balanced" state

```
a(idle, PeerID) ::
```

% the constraint to check the state of the peer

null <- getPeerState(Status) then (</pre>

% if the peer is overloaded, change role to overloaded

a(overloaded(Status), PeerID) <- isOverLoaded() then

) or

(% if the peer is underloaded, change to underloaded a(underloaded(Status), PeerID)<- isUnderLoaded() then) or

a(idle, PeerID) %otherwise, remain as idle (recursion)

```
% "Need" = amount of resources required
a(overloaded(Need), PID1) ::
readyToMigrate(Need) => a(underloaded, PID2) then
migration(ok)<= a(underloaded, PID2) then
% live migration: send VMs to the underloaded peer
null <- migration(PID1, PID2) then
a(idle, PID1) % change the peer's role to "idle"
```

```
% "Capacity" is the amount of free resources}
a(underloaded(Capacity), PID2) ::
% receive a request from an overloaded peer
readyToMigrate(Need)<= a(overloaded,PID1) then
% if free "Capacity" of the underloaded peer >
% "Need" of the overloaded peer
( migration(ok) => a(overloaded, PID1) <-
isMigrationPossible(Capacity, Need)
```

then null <- waitForMigration())</pre>

or

(migration(notOk) => a(overloaded, PID1)) then

a(idle, PID1) % change the peer's role to "idle"

Consider the following annotations:

```
label(migration, 1).
label(ok, 1).
label(isMigrationPossible, 1).
label(Need, 1).
label(Capacity, h).
label(notOk, 1).
label(notOk, 1).
label(overloaded, 1).
label(PID1, 1).
Explicit Flow from underloaded to PID2:
Forbidden
```

```
% "Capacity" is the amount of free resources}
```

```
a(underloaded(Capacity), PID2) ::
```

```
% receive a request from an overloaded peer
```

```
readyToMigrate(Need)<= a(overloaded,PID1) then</pre>
```

```
%if free "Capacity" of the underloaded peer >
% "Need" of the overloaded peer
```

```
then null <- waitForMigration() )</pre>
```

or

(migration(notOk) => a(overloaded, PID1)) then

a(idle, PID1) % change the peer's role to "idle"

Consider the following annotations:

```
label(migration, 1).
label(ok, 1).
label(isMigrationPossible, 1).
label(Need, 1).
label(Capacity, h).
label(notOk, 1).
label(notOk, 1).
label(overloaded, 1).
label(PID1, 1).
```

```
% "Capacity" is the amount of free resources}
```

```
a(underloaded(Capacity), PID2) ::
```

```
% receive a request from an overloaded peer
```

```
readyToMigrate(Need)<= a(overloaded,PID1) then</pre>
```

```
%if free "Capacity" of the underloaded peer >
% "Need" of the overloaded peer
```

```
then null <- waitForMigration() )</pre>
```

or

(migration(notOk) => a(overloaded, PID1)) then

a(idle, PID1) % change the peer's role to "idle"

Consider the following annotations:

```
label(migration, 1).
label(ok, 1).
label(isMigrationPossible, 1).
label(Need, 1).
label(Capacity, h).
label(notOk, 1).
label(notOk, 1).
label(overloaded, 1).
label(PID1, 1).
```

Dynamic vs. Static Security Check

Dynamic Check (false negative result)

 Γ ={ready: L, overload: L, pid1: L, need: L, capacity: H, migratePossible: L, migrate: L}

LCC code	LCC Interpreter's	Security Type Rule	Result
	Action		
<pre>ready <= a(overload,pid1) then (migrate(ok) =>a(overload, pid1) <- migratPossible(capacity, need) then null <- wait()) or (migrate(notOk)=>a(overload,pid1))</pre>	<pre>Closed(c(ready <= a(overload,pid1))) sTypeCheck(ready<= a(overload,pid1))</pre>	$\frac{\Gamma \vdash my: agent \ L, \ \Gamma \vdash ready: L}{\Gamma \vdash ready(need) <= a(overload, pid1): op \ L} Rsv$	ОК
<pre>ready <= a(overload,pid1) then (migrate(ok) =>a(overload, pid1) <- migratPossible(capacity, need) then null <- wait()) or (migrate(notOk)=>a(overload,pid1))</pre>	<pre>satisfy(migratPossible(capa city,need)) returns FALSE or could not find the constraint</pre>		
<pre>ready <= a(overload,pid1) then (migrate(ok) =>a(overload, pid1) <- migratPossible(capacity, need) then null <- wait()) or (migrate(notOk)=>a(overload,pid1))</pre>	<pre>Close(c(migrate(notOk)= > a(overload,pid1))))</pre>	$\frac{\Gamma \vdash a(overload, pid1): agent \ L, \Gamma \vdash migrate(not0k): L}{\Gamma \vdash migrate(not0k)} Snatherapping Snath$	ОК

Static Type Check

 Γ ={ready: L, overload: L, Pid1: L, Need: L, Capacity: H, migratePossible: L, migrate: L, ...}

LCC code	Security Type Rule	Result
<pre>ready <= a(overload,Pid1) then (migrate(ok) =>a(overload, Pid1) <- migratPossible(Capacity, Need) then null <- wait()) or (migrate(notOk)=> a(overload,Pid1))</pre>	$\frac{\Gamma \vdash my: agent \ L, \ \Gamma \vdash ready: L}{\Gamma \vdash ready(need) <= a(overload, Pid1): op \ L} Rsv$	ОК
<pre>ready <= a(overload,pid1) then (migrate(ok) =>a(overload, Pid1) <- migratPossible(Capacity, Need) then null <- wait()) or (migrate(notOk)=> a(overload,Pid1))</pre>	$\frac{\Gamma \vdash migratPsbl(Capacity,Need):H \tau, \Gamma \vdash migrate(ok) =>a(overload,Pid1):op L}{\Gamma \vdash migrate(ok) =>a(overload,Pid1)<-migratPsbl(Capacity,Need):op \tau} If T$ $\frac{\Gamma \vdash a(overload,Pid1):agent L, \Gamma \vdash migrate(ok):L}{\Gamma \vdash migrate(ok) => a(overload,pid1):op L} Snd$ $\frac{\Gamma \vdash overload:L, \Gamma \vdash Pid1L}{\Gamma \vdash a(overload,pid1):agent L} Agnt$ $\frac{\Gamma \vdash migrate:L, \Gamma \vdash ok:L}{\Gamma \vdash migrate(ok):L \lor L} Struct$	Alarm
	$\frac{\Gamma \vdash migratePossible: L, \Gamma \vdash Capacity: H, \Gamma \vdash Need: L}{\Gamma \vdash migratPossible(Capacity, Need): L \lor H \lor L} Struct$	

Offline VM Migration

- Between different datacentres
- E.g. from a private cloud to a public cloud
- Not transparent to the user
- Needs more negotiation and configurations



An Interaction diagram for an offline VM migration

Offline VM Migration: Information Leakage

a(initial, PeerID) ::

```
null <- getPeerState(Status) then
( % if the peer is underloaded (e.g. %50), change the role to "emigrant"
   ( a(emigrant(Status), PeerID) <- isUnderLoaded(Status) ) or
   % if the peer's load > threshold (e.g. %50 ), but it still has free resources
   % change the peer's role to "host" and send the peer's status
   ( a(host(Status), PeerID) <- canAcceptMoreLoad(Status) )
   or
    % if the peer has no load, change the role to "shutdown"
   ( a(shutdown, PeerID) <- hasNoLoad(Status) )
   or
   ( a(initial, PeerID) ) % otherwise, the peer is fully-loaded (recursion)
)</pre>
```

Annotations:

```
label(initial, l).
label(PeerID, l).
label(getPeerState, l).
label(Status, h).
```

Explicit flow from *Status* to *PeerID*: Forbidden



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Static Type Check

Pros

- proof of program correctness with reasonable computation cost
- conservatively detects implicit and explicit information flows and provides stronger security assurance.

Cons

high false positive because possibility of run-time information manipulation

Dynamic Check

Cons

- It can not detect implicit information flows.
- It is not sound, because does not check all execution paths of the program.

Summary

- A security type system is proposed for LCC to analyse information flow.
- LCC interpreter is augmented with security type check (dynamic check).
- A static security type check is implemented for LCC.
- A Case study of cloud computing has been analysed

